

in triplicate : Dr. Dwight J. Triple,
Dept. of Physiology The University
of Chicago 951 East Fifty eighth
Chicago 37 IL

Respectfully in Physiology and Medicine

In The Inst. Medicine
not available!

Novello 16, 17th

GENEVE, le

1960

On the nature of the
aging process.

Vol 45 pp. 30-45 (June) 59
Nat Acad of Sciences
(USA)

specialized
~~specialized~~ regulatory
genes
specialized faults

Professor Szilard

The book you enquired about is now available for consultation
in the WHO Library.

2.45 pm.

Glabodir

Refinements of the Theory - Specialized Vegetative Genes. - It appears likely that there exist genes which are not essential for the functioning of most of the somatic cells of the adult but each of which is essential for the functioning of one particular kind of specialized somatic cell. We shall call these genes "specialized vegetative" genes, and mutant forms of such genes we shall call "specialized faults".

.....

On this basis we may then expect that around 50 years of age there may become manifest, in such heterozygotes, symptoms of disease due to the insufficiency of the output of one kind of specialized cell. The inheritance of diseases of this class may be expected to show a marked degree of dominance.

Speaking more generally, we may expect to see in certain heterozygotes, late in life, narrowly circumscribed degenerative phenomena which are caused by specialized faults they have inherited.

.....

Arrangements for experiments along these lines are now under discussion.

aging theory (for $M_{an} = 23$)

$\frac{t_0}{C}$ is roughly prop. to \sqrt{m}
 m is number of chromosome pairs

$\frac{1}{C}$ probability ^(per unit time) that a chromosome suffers an aging hit

$\frac{1}{C}$ is proportional $\frac{\sqrt{m}}{t_0}$

t_0 is life span of genetically perfect animal.

or $C = \frac{t_0}{\lambda}$ proportional $\frac{t_0}{\sqrt{m}}$

~~6 years~~ $6 \text{ years} = \frac{100 \text{ years}}{\sqrt{23}}$

$$\lambda = \frac{6 \sqrt{23}}{100}$$

$$\tau \approx \frac{6}{100} \frac{t_0}{\sqrt{\frac{m}{23}}}$$

Sperrn solution

$$\text{probability of fert.} = \alpha (1 - q)$$

$$P_{\text{fert}} = \alpha (1 - q) = \alpha \frac{n_0}{e^{-\frac{n_0}{D}}}$$

dilution factor

$$\frac{P_1}{P_2} = \frac{1 - e^{-\frac{n_1}{D}}}{1 - e^{-\frac{n_2}{D}}}$$

for high dilutions:

$$\text{VAX} \quad \frac{P_1}{P_2} = \frac{\frac{n_1}{D}}{\frac{n_2}{D}} = \frac{n_1}{n_2}$$

$$P_{\text{conc}} = \alpha (1 - e^{-\frac{n}{D}})$$

$$P_{\text{fert}} = \alpha (1 - e^{-\frac{n}{D}})$$

$$e^{-\frac{n}{D}} \ll 1$$

$$\frac{P_{\text{fert}}}{P_{\text{conc}}} = 1 - e^{-\frac{n}{D}}$$

$P_{\text{conc.}}$

$$e^{-\frac{n}{D}}$$

$$\text{or } e^{-\frac{n}{D}} = 1 - \frac{P_{\text{fert}}}{P_{\text{conc}}}$$

$$\frac{1 - \frac{P_{\text{fert}}}{P_{\text{conc}}}}{1 - \frac{P_{\text{fert}}}{P_{\text{conc}}}} = e^{-\frac{n}{D}}$$

$$n = D$$

$$n = D \ln \left(\frac{P_{\text{conc}}}{1 - \frac{P_{\text{fert}}}{P_{\text{conc}}}} \right) = \frac{1}{1 - \frac{P_{\text{fert}}}{P_{\text{conc}}}}$$

A ; $B_1(\frac{1}{2})$, $B_2(\frac{1}{2})$, $B_3(\frac{1}{2})$

$$\left[\frac{a}{b_1} \right] = L_1$$

$$\frac{dL}{dt} = e^{+f(t-t_0)}$$

L increases with age at 6

for Mean $f = \frac{1}{6}$

of spermatogonial control

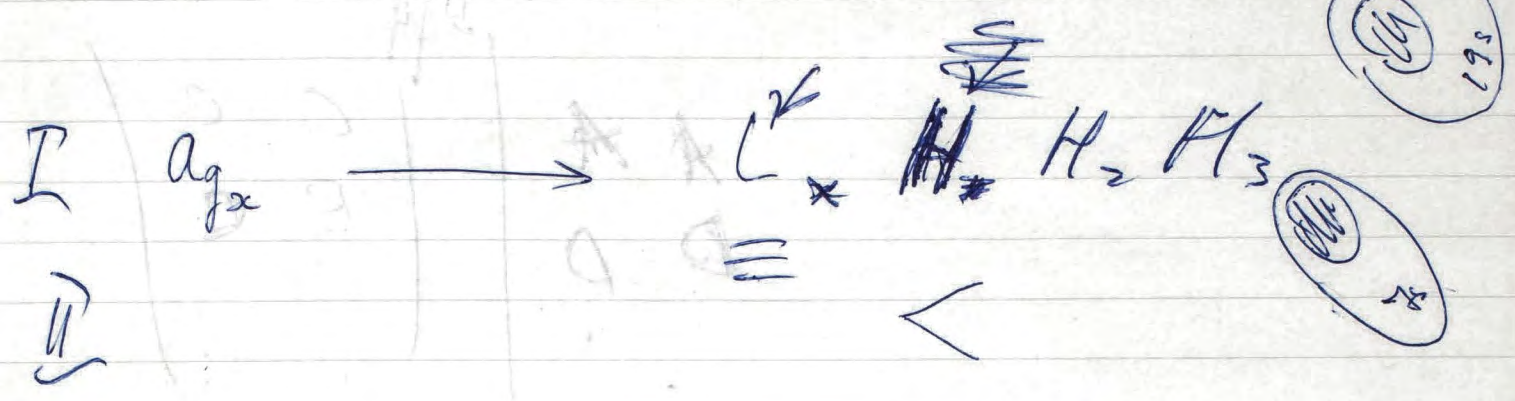
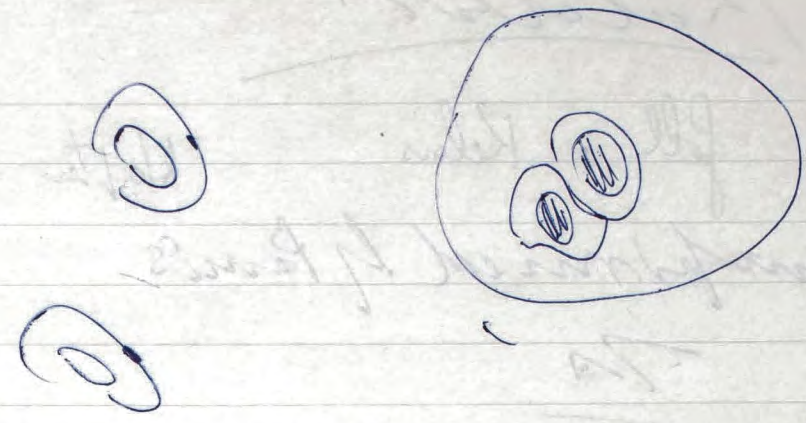
of spermatogonial control of spermatogenesis
controls of $V_{1/2}$ is half the value given above

f for animals

$$f = \frac{1}{t} = \frac{100}{6 t_0} \sqrt{\frac{m}{23}}$$

where $m =$

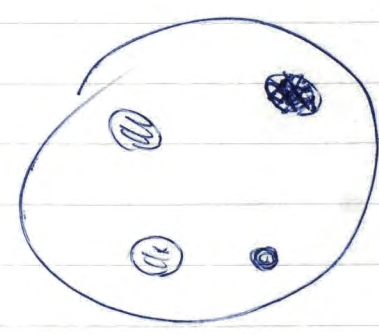
→ L 1000
H 200
~~1000~~



Simonsen

Brookings Journal of Exptl Pathology

100



Dr. Martin Kaplan

Smith advances in Immunology Vol I 1961

10⁹ molecules per cell enough to maintain tolerance

Destruction of Tolerance Weigle Weigle

Rule 10

1988 fell a. Kelus

Haften - BSA

imprisoned by Perms

7.1

A C
D E

~~A~~ ~~A~~
D D

C C
E C

Gen⁺ Gen⁻
Kunkel

A C

D D



$$P_{\text{conv}} = L(1 - e^{-n})$$

$$P_{\text{dil}} = L(1 - e^{-\frac{n}{D}})$$

$$\frac{P_{\text{conv}}}{P_{\text{dil}}} = \frac{(1 - e^{-n})}{(1 - e^{-\frac{n}{D}})}$$

$$\frac{P_{\text{conv}}}{P_{\text{dil}}} = \frac{1}{1 - e^{-\frac{n}{D}}}$$

$$\frac{P_{\text{dil}}}{P_{\text{conv}}} = 1 - e^{-\frac{n}{D}}$$

$$+ e^{-\frac{n}{D}} = 1 - \frac{P_{\text{dil}}}{P_{\text{conv}}}$$

$$e^{-\frac{n}{D}} = \frac{1}{1 - \frac{P_{\text{dil}}}{P_{\text{conv}}}}$$

$$n = D \ln \frac{1}{1 - \frac{P_{\text{dil}}}{P_{\text{conv}}}}$$

$$1 + \frac{n}{D} \approx 1 + \frac{P_{\text{dil}}}{P_{\text{conv}}}$$

$$n \approx D \frac{P_{\text{dil}}}{P_{\text{conv}}}$$

Darr M.L.

neutrophil white blood cells
drumsticks
sex chromatin

WITCHI

Recent Progr. Hormone
Res 6 1951

from p. 404
Principles of Human Gen
Curt Stern
II Ed (1960)
W. H. Freeman & Co
San Francisco
London

The embryonic germ consists
of a Nucleus and a Cortex.

So, 10 weeks after fertiliza-
-tion an embryo is morphologically
neutral.

Nucleus ~ ovary
Cortex ~ testes

